

Gaussian Graphical Models in Metabolomics - Part 2

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1) Subnetworks associated with phenotype

2) Differential network analysis

BEYOND SIMPLE NETWORKS

- Graphical lasso identifies conditional dependence between pairs of metabolites and applies a node-and-edge graph representation of these dependencies
- While estimating conditional dependencies among metabolite pairs is interesting, for most investigations, these dependencies are not of primary interest.
- More complex questions:
 - Which subnetworks are associated with a phenotype?
 - Do networks vary across groups?

1) Subnetworks associated with phenotype

SUBNETWORKS ASSOCIATED WITH PHENOTYPE

- Prior to network analyses, investigators often perform per-metabolite association analyses with a phenotype of interest
- How can per-metabolite and network analyses be linked?
- Some existing approaches:
 - Dittrich et al. (2008) *Bioinformatics*. Identifying functional modules in protein–protein interaction networks: an integrated exact approach.
 - Ben-Hamo et al. (2014) *Bioinformatics*. PhenoNet: identification of key networks associated with disease phenotype.
 - Soul et al. (2015) *Scientific Reports*. PhenomeExpress: A refined network analysis of expression datasets by inclusion of known disease phenotypes.

SUBNETWORKS ASSOCIATED WITH PHENOTYPE

- A simple approach using graphical lasso
 - Identify a set of metabolites, \mathcal{M}_p , associated with phenotype
 - Identify additional metabolites, \mathcal{M}_c , with Pearson correlation exceeding some threshold (say 0.25) with at least one member of \mathcal{M}_p
 - Run graphical lasso on $\mathcal{M}_p \cup \mathcal{M}_c$

ANCESTRY-SPECIFIC NETWORKS ASSOC WITH FPG

In case you'd like to start a new R session, let's reload the libraries and set the working directory.

```
#PC users  
#setwd("C:/Users/username/Desktop/Metabolomics Workshop 2019/")  
#mac users  
setwd("~/Desktop/Metabolomics Workshop 2019/")  
library(igraph)
```

```
## Warning: package 'igraph' was built under R version 3.5.2
```

```
library(ggplot2)  
library(iDINGO)  
library(huge)
```

```
## Warning: package 'huge' was built under R version 3.5.2
```

ANCESTRY-SPECIFIC NETWORKS ASSOC WITH FPG

Now read in the data and review some simple descriptors.

```
mydat <- read.csv("hapo_metabolomics_2019.csv")
rownames(mydat) <- mydat$id
dim(mydat)
```

```
## [1] 1600 54
```

```
head(colnames(mydat))
```

```
## [1] "id"      "anc_gp" "fpg"    "mt1_1"  "mt1_2"  "mt1_3"
```

```
table(mydat$anc_gp)
```

```
##
## ag1 ag2 ag3 ag4
## 400 400 400 400
```


ANCESTRY-SPECIFIC NETWORKS ASSOC WITH FPG

Perform simple ancestry-group specific mean imputation of missing metabolite values.

```
hapo_ag <- split(mydat,f=mydat$anc_gp)
length(hapo_ag)
```

```
## [1] 4
```

```
sapply(hapo_ag,FUN=dim)
```

```
##      ag1 ag2 ag3 ag4
## [1,] 400 400 400 400
## [2,]  54  54  54  54
```

```
hapo_ag_m_i <- lapply(hapo_ag,
  FUN=function(x) apply(x[,grep("mt",colnames(x),value=TRUE)],
    MARGIN=2,
    FUN=function(y) ifelse(is.na(y),mean(y,na.rm=TRUE),y)))
```

ANCESTRY-SPECIFIC NETWORKS ASSOC WITH FPG

Check to make sure imputation worked as planned.

```
hapo_m_i <- do.call("rbind",hapo_ag_m_i)
hapo_i <- data.frame(mydat[rownames(hapo_m_i),c("id","anc_gp","fpg")],
                    hapo_m_i)
tapply(mydat[, "mt3_4"], INDEX=mydat$anc_gp, FUN=mean, na.rm=TRUE)
```

```
##      ag1      ag2      ag3      ag4
## 18.11342 22.06506 20.54547 19.95429
```

```
tapply(mydat[, "mt3_12"], INDEX=mydat$anc_gp, FUN=mean, na.rm=TRUE)
```

```
##      ag1      ag2      ag3      ag4
## 26.41744 29.66998 29.01828 26.97278
```

ANCESTRY-SPECIFIC NETWORKS ASSOC WITH FPG

Check to make sure imputation worked as planned.

```
mydat[c(1,2,3,6),c("anc_gp","mt3_4","mt3_12")]
```

```
##          anc_gp    mt3_4    mt3_12
## hm0001    ag3 20.50824 29.37834
## hm0002    ag3      NA 29.51101
## hm0003    ag4 19.89055 27.85653
## hm0006    ag4 20.04486      NA
```

```
hapo_i[rownames(mydat)[c(1,2,3,6)],c("anc_gp","mt3_4","mt3_12")]
```

```
##          anc_gp    mt3_4    mt3_12
## hm0001    ag3 20.50824 29.37834
## hm0002    ag3 20.54547 29.51101
## hm0003    ag4 19.89055 27.85653
## hm0006    ag4 20.04486 26.97278
```

ANCESTRY-SPECIFIC NETWORKS ASSOC WITH FPG

Find subset of metabolites within each ancestry associated with fpg.

```
myfun <- function(metabolite,outcome){  
  mymod <- lm(outcome~metabolite)  
  minuslogp <- -log(summary(mymod)$coef[2,4])  
  return(minuslogp)  
}  
  
hapo_i_ag <- split(hapo_i,f=hapo_i$anc_gp)  
  
m_fpg_p_ag <- lapply(hapo_i_ag,  
  FUN=function(x){  
    x_m <- x[,grep("mt",colnames(x))]  
    ans <- apply(x_m,MARGIN=2,FUN=myfun,outcome=x$fpg)  
    return(ans)  
  })
```

ANCESTRY-SPECIFIC NETWORKS ASSOC WITH FPG

Find subset of metabolites within each ancestry associated with fpg.

```
sig_m_ag <- lapply(m_fpg_p_ag,  
  FUN=function(x) names(x[which(x>-log(.05))]))  
sig_m_ag
```

```
## $ag1  
## [1] "mt1_1" "mt1_2" "mt1_3" "mt1_5" "mt1_11" "mt1_12" "mt2_3"  
## [8] "mt2_8" "mt2_11" "mt3_1" "mt3_2" "mt3_3" "mt3_4" "mt3_5"  
## [15] "mt3_10" "mt3_15"  
##  
## $ag2  
## [1] "mt1_1" "mt1_2" "mt1_3" "mt1_5" "mt1_11" "mt1_12" "mt2_10"  
## [8] "mt3_4" "mt3_6" "mt3_9" "mt3_13" "mt3_16"  
##  
## $ag3  
## [1] "mt1_1" "mt1_2" "mt1_3" "mt1_5" "mt1_8" "mt1_11" "mt1_12"  
## [8] "mt1_15" "mt2_4" "mt2_8" "mt2_13" "mt2_14" "mt3_1" "mt3_6"  
## [15] "mt3_10" "mt3_13"  
##  
## $ag4  
## [1] "mt1_1" "mt1_5" "mt1_12" "mt1_15" "mt2_2" "mt2_8" "mt2_14" "mt3_5"  
## [9] "mt3_12"
```

ANCESTRY-SPECIFIC NETWORKS ASSOC WITH FPG

Find other metabolites correlated with significant metabolites.

```
m_cor_ag <- lapply(hapo_ag_m_i,FUN=cor,use="pairwise.complete.obs")
sig_cor_ag <- vector("list",length=4)
names(sig_cor_ag) <- names(sig_m_ag)
for (i in 1:4){
  sig_m_cor_pairs <- m_cor_ag[[i]][sig_m_ag[[i]],]
  sig_m_cor <- names(which(colSums(abs(sig_m_cor_pairs)>=.25)>0))
  sig_m_cor_vals <- hapo_ag_m_i[[i]][,sig_m_cor]
  sig_m_cor_vals_s <- apply(sig_m_cor_vals,MARGIN=2,FUN=scale)
  sig_cor_ag[[i]] <- sig_m_cor_vals_s
}
sapply(sig_cor_ag,FUN=dim)
```

```
##      ag1 ag2 ag3 ag4
## [1,] 400 400 400 400
## [2,]  42  40  44  31
```

ANCESTRY-SPECIFIC NETWORKS ASSOC WITH FPG

Now apply graphical lasso for these subsets of metabolites.

```
mbModel_ag <- lapply(sig_cor_ag,FUN=huge,method="mb")
```

```
## Conducting Meinshausen & Buhlmann graph estimation (mb)...done  
## Conducting Meinshausen & Buhlmann graph estimation (mb)...done  
## Conducting Meinshausen & Buhlmann graph estimation (mb)...done  
## Conducting Meinshausen & Buhlmann graph estimation (mb)...done
```

```
mb_opt_ag <- lapply(mbModel_ag,FUN=huge.select,criterion="ric")
```

```
## Conducting rotation information criterion (ric) selection...done  
## Computing the optimal graph...done  
## Conducting rotation information criterion (ric) selection...done  
## Computing the optimal graph...done  
## Conducting rotation information criterion (ric) selection...done  
## Computing the optimal graph...done  
## Conducting rotation information criterion (ric) selection...done  
## Computing the optimal graph...done
```

ANCESTRY-SPECIFIC NETWORKS ASSOC WITH FPG

Generate the igraph objects.

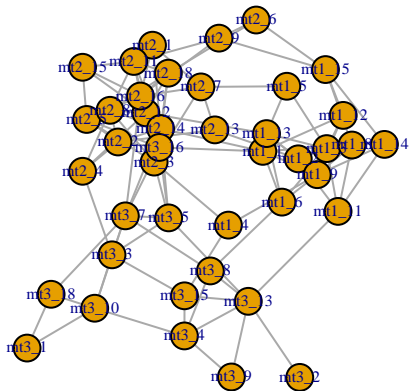
```
ggm_ag_mat <- lapply(mb_opt_ag, FUN=function(x) x$refit)
ggm_ag_g <- lapply(ggm_ag_mat,
                  FUN=graph_from_adjacency_matrix,
                  mode="undirected")

for (i in 1:4){
  V(ggm_ag_g[[i]])$label <- colnames(sig_cor_ag[[i]])
}
```


ANCESTRY-SPECIFIC NETWORKS ASSOC WITH FPG

Now plot the graphs - Ancestry group 1 (layout may vary)

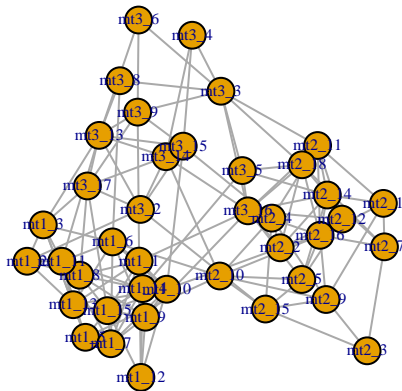
```
plot(ggm_ag_g[["ag1"]], vertex.label=V(ggm_ag_g[["ag1"]])$label,  
     vertex.label.cex=.5)
```



ANCESTRY-SPECIFIC NETWORKS ASSOC WITH FPG

Ancestry group 2

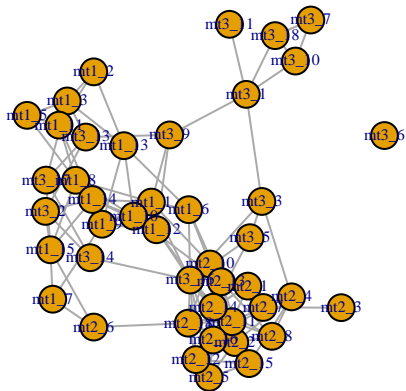
```
plot(ggm_ag_g[["ag2"]],vertex.label=V(ggm_ag_g[["ag2"]])$label,  
     vertex.label.cex=.5)
```



ANCESTRY-SPECIFIC NETWORKS ASSOC WITH FPG

Ancestry group 3 - note the singleton node

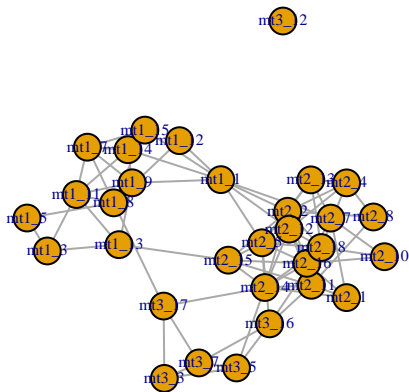
```
plot(ggm_ag_g[["ag3"]], vertex.label=V(ggm_ag_g[["ag3"]])$label,  
     vertex.label.cex=.5)
```



ANCESTRY-SPECIFIC NETWORKS ASSOC WITH FPG

Ancestry group 4 - note the singleton node

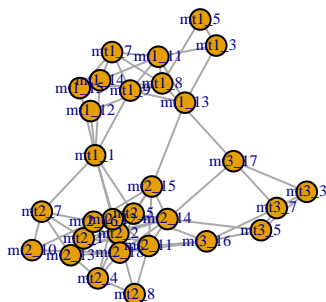
```
plot(ggm_ag_g[["ag4"]], vertex.label=V(ggm_ag_g[["ag4"]])$label,  
     vertex.label.cex=.5)
```



ANCESTRY-SPECIFIC NETWORKS ASSOC WITH FPG

Drop the singletons.

```
ggm_ag_g[[3]] <- delete_vertices(ggm_ag_g[[3]],  
                                which(V(ggm_ag_g[[3]])$label=="mt3_6"))  
ggm_ag_g[[4]] <- delete_vertices(ggm_ag_g[[4]],  
                                which(V(ggm_ag_g[[4]])$label=="mt3_12"))  
plot(ggm_ag_g[["ag4"]], vertex.label=V(ggm_ag_g[["ag4"]])$label,  
     vertex.label.cex=.5)
```



COMMUNITY DETECTION

- Visual inspection and biological interpretation of these networks is challenging
- Pick out pairwise relationships? Then what?
- Community detection helps tell a story
- *igraph* package
 - `cluster_spinglass` (Newman and Girvan, 2004)
 - `cluster_fast_greedy`
 - `cluster_label_prop`
 - `cluster_walktrap`
 - etc.

COMMUNITY DETECTION

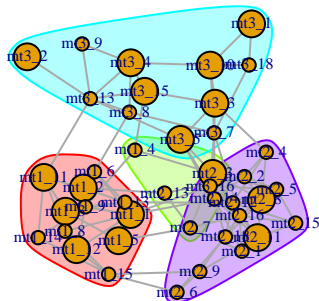
Spinglass clustering on all four graphs

```
ggm_ag_g_spg <- lapply(ggm_ag_g, FUN=cluster_spinglass)
```

COMMUNITY DETECTION

Springlass clustering - ancestry group 1

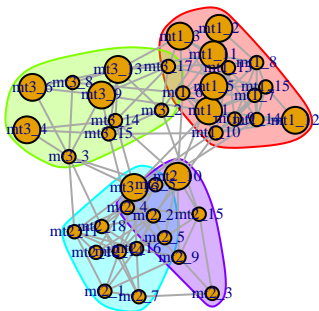
```
plot(ggm_ag_g[["ag1"]],  
     vertex.label=V(ggm_ag_g[["ag1"]])$label,  
     vertex.label.cex=.5,  
     mark.groups=ggm_ag_g_spg[["ag1"]],  
     vertex.size=ifelse(V(ggm_ag_g[["ag1"]])$label %in%  
                         sig_m_ag[["ag1"]],20,10))
```



COMMUNITY DETECTION

Spinglass clustering - ancestry group 2

```
plot(ggm_ag_g[["ag2"]],  
     vertex.label=V(ggm_ag_g[["ag2"]])$label,  
     vertex.label.cex=.5,  
     mark.groups=ggm_ag_g_spg[["ag2"]],  
     vertex.size=ifelse(V(ggm_ag_g[["ag2"]])$label %in%  
                         sig_m_ag[["ag2"]],20,10))
```



EXAMPLE FROM HAPO METABOLOMICS

- Investigation of associations between maternal metabolites at 28 weeks gestation with newborn phenotypes at birth
- Examined associations within and across four ancestry groups – Afro-Caribbean, European, Mexican-American, Thai
- Used a similar approach to that described here
- For graphical lasso, used residuals from a linear model for each metabolite with predictors for covariates of interest

- Kadakia et al. (2019) *Diabetologia* Maternal metabolites during pregnancy are associated with newborn outcomes and hyperinsulinaemia across ancestries.

2) Differential network analysis

DIFFERENTIAL NETWORK ANALYSIS

- Visual inspection suggests there are differences in the ancestry-specific networks we just generated
- But are the differences 'statistically significant'?
- One approach to differential network analysis:
 - *iDINGO* R package
 - Ha et al. *Bioinformatics* (2015) DINGO: differential network analysis in genomics.
 - Class et al. *Bioinformatics* (2018) iDINGO - integrative differential network analysis in genomics with *Shiny* application.

DIFFERENTIAL NETWORK ANALYSIS

- DINGO estimates a 'global' component of the network, \mathcal{G} , that represents edges that are common across groups
- DINGO also estimates 'local' group-specific components, $\mathcal{L}(x)$, that represent unique relationships in each group depending on the value of a categorical variable x .
- For two groups, group-specific edges are identified using a *Differential Score*:

$$\delta_{ab}^{(12)} = \frac{\hat{\phi}_{ab}^{(1)} - \hat{\phi}_{ab}^{(2)}}{s_{ab}^B}$$

where $\hat{\phi}_{ab}^{(1)}$ and $\hat{\phi}_{ab}^{(2)}$ are Fisher's Z transformation of the estimates of group-specific partial correlations between metabolites a and b in groups 1 and 2, and s_{ab}^B is the bootstrap estimate of the standard error.

DIFFERENTIAL NETWORK ANALYSIS

Let's work with the first two ancestry groups.

```
hapo_2ag <- subset(hapo_i, anc_gp %in% c("ag1", "ag2"))  
hapo_2ag <- droplevels(hapo_2ag)  
hapo_2ag_mt <- hapo_2ag[, grep("mt", colnames(hapo_2ag), value=TRUE)]  
dim(hapo_2ag)
```

```
## [1] 800 54
```

```
dim(hapo_2ag_mt)
```

```
## [1] 800 51
```

DIFFERENTIAL NETWORK ANALYSIS

The commented code below would perform the DINGO algorithm. The bootstrapping takes a long time. So we will just load an R object of the results that should be in your working directory.

```
#hapo_2ag_dn <- dingo(hapo_2ag_mt, x=hapo_2ag$anc_gp, B=50)  
load("hapo_2ag_dn_B50.rda")
```


DIFFERENTIAL NETWORK ANALYSIS

Let's look at the various components of the output.

```
names(hapo_2ag_dn)
```

```
## [1] "genepair" "levels.x" "R1" "R2" "boot.diff"  
## [6] "diff.score" "p.val" "rho" "P" "Q"  
## [11] "Psi" "step.times"
```

```
head(hapo_2ag_dn$genepair)
```

```
## gene1 gene2  
## 1 mt1_1 mt1_2  
## 2 mt1_1 mt1_3  
## 3 mt1_2 mt1_3  
## 4 mt1_1 mt1_4  
## 5 mt1_2 mt1_4  
## 6 mt1_3 mt1_4
```

```
dim(hapo_2ag_dn$genepair)
```

```
## [1] 1275 2
```

DIFFERENTIAL NETWORK ANALYSIS

More components of the output.

```
hapo_2ag_dn$levels.x
```

```
## [1] ag1 ag2  
## Levels: ag1 ag2
```

```
length(hapo_2ag_dn$R1)
```

```
## [1] 1275
```

```
length(hapo_2ag_dn$R2)
```

```
## [1] 1275
```

```
dim(hapo_2ag_dn$boot.diff)
```

```
## [1] 1275 50
```

DIFFERENTIAL NETWORK ANALYSIS

More components of the output.

```
length(hapo_2ag_dn$diff.score)
```

```
## [1] 1275
```

```
length(hapo_2ag_dn$p.val)
```

```
## [1] 1275
```

DIFFERENTIAL NETWORK ANALYSIS

Create a data frame of some of the output

```
hapo_2ag_dn_df <- data.frame(gene1=hapo_2ag_dn$genepair$gene1,  
                             gene2=hapo_2ag_dn$genepair$gene2,  
                             genepair=paste(as.character(hapo_2ag_dn$genepair$gene1),  
                                             as.character(hapo_2ag_dn$genepair$gene2),sep=":"),  
                             R1=hapo_2ag_dn$R1,  
                             R2=hapo_2ag_dn$R2,  
                             diff.score=hapo_2ag_dn$diff.score,  
                             p.val=hapo_2ag_dn$p.val)
```

DIFFERENTIAL NETWORK ANALYSIS

Create a data frame of some of the output.

```
head(hapo_2ag_dn_df)
```

```
##   gene1 gene2   genepair          R1          R2   diff.score    p.val
## 1 mt1_1 mt1_2 mt1_1:mt1_2  0.07809638  0.07832990 -0.016040253  0.9986491
## 2 mt1_1 mt1_3 mt1_1:mt1_3  0.01951538  0.02186509 -0.135858912  0.8148208
## 3 mt1_2 mt1_3 mt1_2:mt1_3  0.40212136  0.40158482  0.047007443  0.9039632
## 4 mt1_1 mt1_4 mt1_1:mt1_4 -0.25814119 -0.25921713  0.092097027  0.8351067
## 5 mt1_2 mt1_4 mt1_2:mt1_4  0.29185984  0.29178087  0.005269656  0.9683637
## 6 mt1_3 mt1_4 mt1_3:mt1_4 -0.24110807 -0.24006858 -0.076546532  0.9051876
```

DIFFERENTIAL NETWORK ANALYSIS

Identify extremely different scores with $\text{diff.score} > 5$ or < -5 .

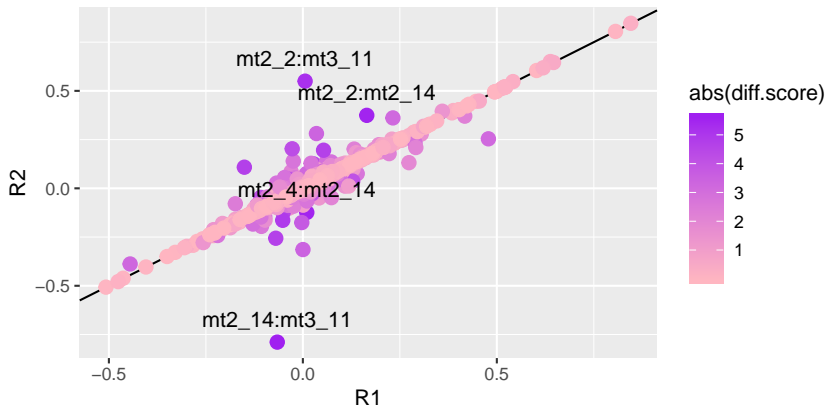
```
hapo_2ag_dn_df$high_ds <- ifelse(abs(hapo_2ag_dn_df$diff.score)>5,  
                                as.character(hapo_2ag_dn_df$genepair), "")  
hapo_2ag_dn_df[which(!hapo_2ag_dn_df$high_ds==""),]
```

```
##      gene1 gene2      genepair          R1          R2 diff.score p.val  
## 395 mt2_2 mt2_14 mt2_2:mt2_14 0.164750400 0.3744255 -5.521262 0  
## 397 mt2_4 mt2_14 mt2_4:mt2_14 0.010156435 -0.1238160 5.522768 0  
## 920 mt2_2 mt3_11 mt2_2:mt3_11 0.005775354 0.5498016 -5.201985 0  
## 932 mt2_14 mt3_11 mt2_14:mt3_11 -0.065983987 -0.7890289 5.598957 0  
##          high_ds  
## 395 mt2_2:mt2_14  
## 397 mt2_4:mt2_14  
## 920 mt2_2:mt3_11  
## 932 mt2_14:mt3_11
```

DIFFERENTIAL NETWORK ANALYSIS

Compare R1 and R2, colored by diff.score.

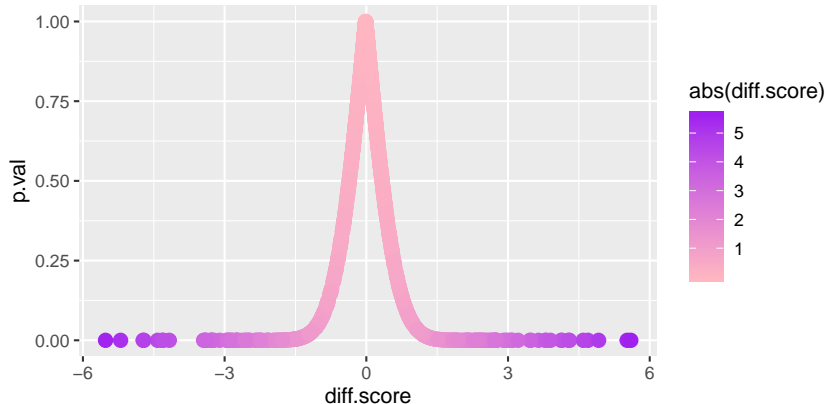
```
ggplot(hapo_2ag_dn_df, aes(x=R1, y=R2)) +  
  geom_abline(intercept=0, slope=1) +  
  geom_point(aes(color=abs(diff.score)), size=3) +  
  geom_text(label=hapo_2ag_dn_df$high_ds, vjust=-1) +  
  scale_color_gradient(low="lightpink", high="purple")
```



DIFFERENTIAL NETWORK ANALYSIS

Plot of diff.score by p.val, colored by diff.score.

```
ggplot(hapo_2ag_dn_df, aes(x=diff.score, y=p.val)) +  
  geom_point(aes(color=abs(diff.score)), size=3) +  
  scale_color_gradient(low="lightpink", high="purple")
```



DIFFERENTIAL NETWORK ANALYSIS

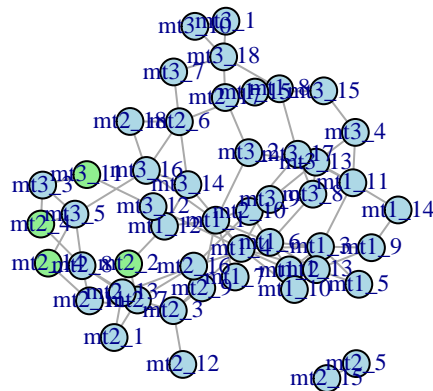
Explore the global component of the dingo graph.

```
dingo_rho_thresh <- .20
hapo_2ag_dn_df$global <- ifelse(
  (abs(hapo_2ag_dn_df$R1)>dingo_rho_thresh) &
  (abs(hapo_2ag_dn_df$R2)>dingo_rho_thresh) &
  (sign(hapo_2ag_dn_df$R1>dingo_rho_thresh)==
   sign(hapo_2ag_dn_df$R2>dingo_rho_thresh)),1,0)
global_g <- graph_from_edgelist(
  as.matrix(hapo_2ag_dn_df[which(hapo_2ag_dn_df$global==1),
  c("gene1","gene2")]),directed=FALSE)
```

DIFFERENTIAL NETWORK ANALYSIS

Explore the global component of the dingo graph.

```
V(global_g)$color <- rep("light blue",length(V(global_g)))  
V(global_g)$color[which(names(V(global_g)) %in%  
  c("mt2_2","mt2_4","mt2_14","mt3_11"))] <- "light green"  
V(global_g)$size <- 15  
V(global_g)$label.cex <- .75  
plot(global_g,layout=layout_nicely(global_g))
```



DIFFERENTIAL NETWORK ANALYSIS

Explore the local components of the dingo graphs.

```
hapo_2ag_dn_df$local_ag1 <- ifelse(  
  (abs(hapo_2ag_dn_df$R1)>dingo_rho_thresh) &  
    (abs(hapo_2ag_dn_df$R2)<dingo_rho_thresh) &  
    (hapo_2ag_dn_df$p.val<.05),1,0)  
  
hapo_2ag_dn_df$local_ag2 <- ifelse(  
  (abs(hapo_2ag_dn_df$R2)>dingo_rho_thresh) &  
    (abs(hapo_2ag_dn_df$R1)<dingo_rho_thresh) &  
    (hapo_2ag_dn_df$p.val<.05),1,0)  
  
table(hapo_2ag_dn_df$local_ag1,hapo_2ag_dn_df$local_ag2)
```

```
##  
##      0      1  
## 0 1259    11  
## 1      5      0
```

DIFFERENTIAL NETWORK ANALYSIS

Explore the local components of the dingo graphs.

```
local_g_ag1 <- graph_from_edgelist(  
  as.matrix(hapo_2ag_dn_df[which((hapo_2ag_dn_df$global+  
                                hapo_2ag_dn_df$local_ag1)==1),  
            c("gene1", "gene2")]), directed=FALSE)  
local_g_ag2 <- graph_from_edgelist(  
  as.matrix(hapo_2ag_dn_df[which((hapo_2ag_dn_df$global+  
                                hapo_2ag_dn_df$local_ag2)==1),  
            c("gene1", "gene2")]), directed=FALSE)
```

DIFFERENTIAL NETWORK ANALYSIS

Explore the local components of the dingo graphs.

```
local_ag1_nodes <- unique(c(as.character(hapo_2ag_dn_df[which(hapo_2ag_dn_df$local_ag1==1), "gene1"]),
                           as.character(hapo_2ag_dn_df[which(hapo_2ag_dn_df$local_ag1==1), "gene2"])))
local_ag2_nodes <- unique(c(as.character(hapo_2ag_dn_df[which(hapo_2ag_dn_df$local_ag2==1), "gene1"]),
                           as.character(hapo_2ag_dn_df[which(hapo_2ag_dn_df$local_ag2==1), "gene2"])))

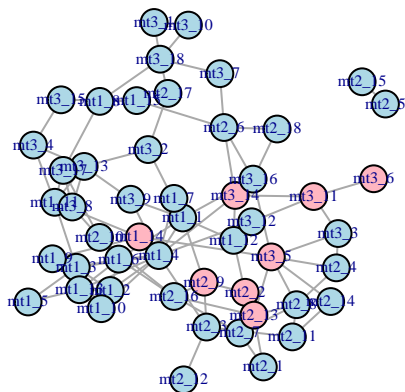
V(local_g_ag1)$color <- rep("light blue", length(V(local_g_ag1)))
V(local_g_ag1)$color[which(names(V(local_g_ag1)) %in% local_ag1_nodes)] <- "light pink"

V(local_g_ag2)$color <- rep("light blue", length(V(local_g_ag2)))
V(local_g_ag2)$color[which(names(V(local_g_ag2)) %in% local_ag2_nodes)] <- "light green"
```

DIFFERENTIAL NETWORK ANALYSIS

Local component for ancestry group 1

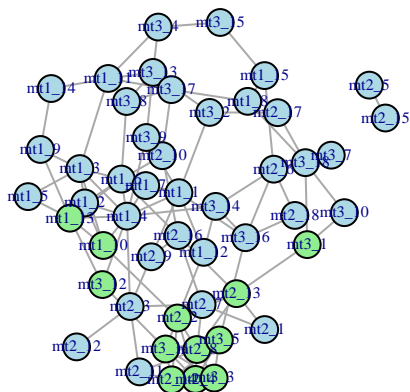
```
plot(local_g_ag1, vertex.label.cex=.5)
```



DIFFERENTIAL NETWORK ANALYSIS

Local component for ancestry group 2

```
plot(local_g_ag2, vertex.label.cex=.5)
```



SUMMARY

- Networks are very helpful for 'story telling' in metabolomics (and other omics) settings
- Graphical lasso and related methods focus on conditional dependence
- Gives some assurance that edges aren't simply an artifact of sharing common correlations between a pair of nodes with a third node
- Focusing on subnetworks related to phenotype can place per-metabolite associations into context
- Differential network analyses based on graphical models can point to meaningful differences between groups
- Graphics take a while. . . be patient and use Google!

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